

Acid-base Equilibrium

In Chem 1B we mostly use the Bronsted-Lowry [definitions of acids and bases](#): a Bronsted acid is a source of H^+ while a Bronsted base is an acceptor of H^+ . We are very interested in calculating aqueous concentrations of H^+ known as “H-plus” ions or “protons”. We are also interested in calculating aqueous concentrations of OH^- known as “OH-minus” ions or “hydroxide” ions. Knowing concentrations of these ions has important ramifications in fields as wide-ranging as biotechnology, geology, oceanography, atmospheric science, and speculation about whether life could have existed on Mars.

A nice feature of acid-base equilibria is that reactions are usually simple homogeneous systems with stoichiometric coefficients of unity in dilute aqueous solution. So the resulting equilibrium expressions given by the [Law of Mass Action](#) are very simple:

generic acid dissociation: $HA \leftrightarrow H^+ + A^-$ for which $K_c = K_a = [H^+][A^-]/[HA]$,

generic base hydrolysis: $A^- + H_2O \leftrightarrow HA + OH^-$ for which $K_c = K_b = [HA][OH^-]/[A^-]$,

and

the [auto-dissociation of water](#): $H_2O \leftrightarrow H^+ + OH^-$ for which $K_c = K_w = [H^+][OH^-]$.

Note that whatever the substances are, HA and A^- are known as a **conjugate acid-base pair**. Also note that the third reaction (the auto-dissociation of water) is a sum of the first two. This implies that for any conjugate acid-base pair it must be that $K_a \times K_b = K_w$.

Acid-base equilibria are principally about calculating equilibrium concentrations of acids, their conjugate bases, H^+ and OH^- ions by applying the techniques we already know about from Chapter 15 to the above reactions.